

Vorl.

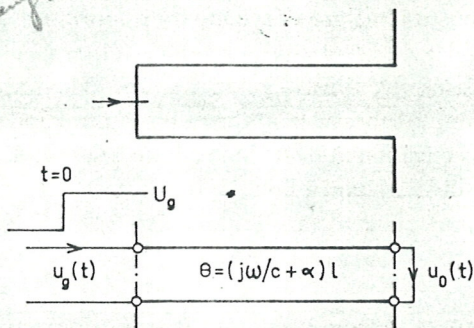
1968 Ausklamm, S. 173-222.

output. Therefore at the time  $3l/c$  the output current drops down to the value  $2U_g e^{-\alpha l} - 2U_g e^{-3\alpha l}$  which is close to zero. After an additional interval of  $2l/c$  there adds the term  $2U_g e^{-5\alpha l}$  etc. and the result is a square wave of the frequency of the first formant of the neutral vowel  $F_1 = c/4l$ , the amplitude of which decays by the factor of  $e^{-4\alpha l}$  per period until the stationary condition of  $u_0 = U_g$  has been reached.

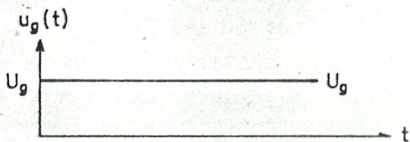
One interesting feature of this derivation, see Fant (1967) for further details, is that the square wave is the sum of all formants up to  $n = \infty$  of the neutral vowel, compare fig. 14. It is simpler and physically more basic than a derivation in terms of the equivalent damped oscillations and suggests simple methods of synthesis of a neutral vowel. ☺

Sein!  
 Die  
 zeichnen!

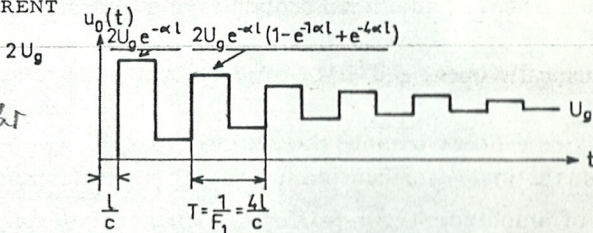
Voraussetz.:  
 Frequenzunabhängige  
 Reflexion u. Dämpfung!



SOURCE CURRENT



OUTPUT CURRENT



Impulsantwort der  
 Springfkt.

Fig. 15. Time-domain derivation of the volume velocity response at the open end of a single tube resonator to a step shaped volume velocity (current) excitation at the glottal end. The damped square wave originating from repeated reflexions has a basic frequency of  $F_1$  and constitutes the sum of all formants up to infinity.

Dia 2/07  
Ng 87/88

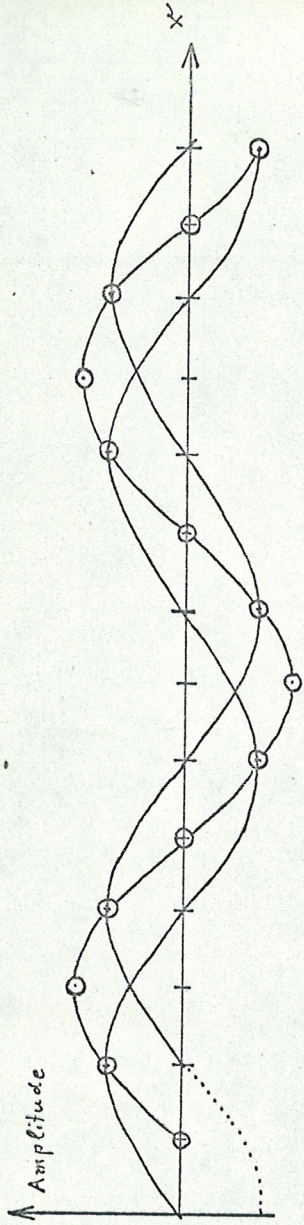
Superposition zweier Sinuskurven

punktwise Addition der Amplitudenwerte  $A_1(x) + A_2(x)$ ,

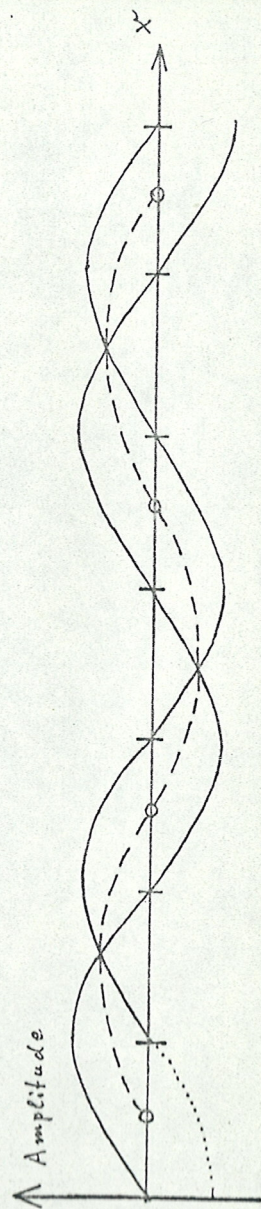
Wobei  $x$  = räumliche Ausdehnung oder = Zeitverlauf gesetzt werden kann.

Dia  
2/07

Vorl.



resultierende mittlere Kurve  $A_m(x) = \frac{A_1(x) + A_2(x)}{2}$



$$A_r(x) = 2 A_m(x)$$